

Allocation Timing in Satellite Market

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BACKGROUND

Satellite spectrum and orbit rights are often assigned through FCC processing rounds. In a round-based system, firms are grouped and evaluated together, which resembles a **batch allocation**. In practice, however, some firms may already have an installed base in orbit when later entrants seek access. That environment is better captured by a **sequential allocation** with incumbency.

Satellite spectrum and orbit rights are often assigned through FCC processing rounds. In a round-based system, firms are grouped and evaluated together, which resembles a **batch allocation**. In practice, however, some firms may already have an installed base in orbit when later entrants seek access. That environment is better captured by a **sequential allocation** with incumbency.

RESEARCH QUESTIONS

Should satellite rights be allocated **in batch** or **sequentially** when an incumbent can deploy first and later entrants face interference-avoidance constraints?

We compare the two mechanisms and ask how allocation timing affects:

- **firm profits**,
- **consumer surplus**,
- and **social welfare**.

METHODS AND MATERIALS

We compare two allocation mechanisms in a two-firm satellite market.

Mechanisms

Batch allocation: both firms choose deployment simultaneously in **period 1**.

Sequential allocation: the incumbent (firm 1) deploys in **period 1**, while the entrant (firm 2) can enter only in **period 2**.

Demand: Inverse demand is linear:

$P(Q) = a - bQ$, where Q is total # of satellites, $a > 0$ is market size, and $b > 0$ is how fast price falls with output.

Launch cost: We model the cost of deploying satellites as: $C(q) = \gamma/2 q^2$. The parameter $\gamma > 0$ captures the launch and deployment costs.

Incumbency: Under sequential allocation, firm 1 can deploy $s \in [0, X]$ in period 1. These installed satellites remain active in period 2.

Late-entry interference / priority: The only distortion is that the entrant faces a late-entry disadvantage proportional to the incumbent's installed satellites s . We summarize this wedge by $\psi \geq 0$

RESULTS

Proposition 1 (Number of satellites pushed at equilibrium).

Under batch: $Q_B = 2a/(3b + \gamma)$.

Under sequential: $Q_2S(s; \psi) = (2a + (\gamma - \psi)s)/(3b + \gamma)$.

The main comparison is therefore

$$Q_2S - Q_B = ((\gamma - \psi)s)/(3b + \gamma).$$

This equation shows that sequential allocation raises output when the persistence effect of early deployment dominates the late-entry wedge.

Proposition 2. (Firm profits)

Under sequential allocation, the *entrant* is always weakly worse off than under batch allocation:

$$\Pi_S(s; \psi) \leq \Pi_B.$$

Moreover, a larger late-entry wedge always reduces the entrant's continuation payoff.

For the *incumbent*, the comparison is ambiguous. Sequential allocation gives firm 1 a first-mover advantage. The incumbent prefers sequential allocation if and only if

$$\kappa \leq \kappa_1(s, \psi),$$

$$\text{where } \kappa_1(s, \psi) = as - (b + \gamma/2)s^2 + VS(s; \psi) - \Pi_B.$$

Proposition 3. (Consumer surplus and welfare)

Sequential allocation gives consumers an early-service gain: $(b/2)(s^2)$,

but it may weaken second-period competition. The consumer-surplus differential is

$$\Delta CS(s; \psi) = b/2s^2 + b/2(QS)^2 - b/2(QB)^2.$$

Hence consumers prefer sequential allocation when $s^2 + (QS)^2 \geq (QB)^2$.

Welfare satisfies

$$WS - WB = \pi S + \Delta CS + (V_1S - \Pi_1B) - (\Pi_2B - V_2S).$$

So welfare improves only when the gains from early deployment and incumbency are large enough to offset the entrant's loss.

Round	Main applicants	Authorized
2016 Ku/Ka	OneWeb, SpaceX, Telesat, Kepler, LeoSat	5,482+
2017 V-band	SpaceX, Telesat, Theia	7,755+*
2020 Ku/Ka	Kuiper, SpaceX Gen2	10,736 initially
2021 V-band	Multiple applicants	not cleanly consolidated (34000+)

FUTURE DIRECTIONS

- **Endogenous bandwidth release.** Let the regulator choose how much additional spectrum to release after observing early deployment.
- **Dynamic multi-period entry.** Extend the model to multiple periods with new entrants arriving over time.
- **Operational buildout constraints.** Introduce use-it-or-lose-it rules and deployment deadlines to study over-promising versus actual launch.
- **Heterogeneous firms.** Allow firms to differ in launch cost, technology, or constellation size.
- **Calibration to FCC rounds.** Use observed applications and authorizations to connect the model more closely to current policy design.

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